FORCES

## Free Body Diagram (FBD) Moment or torque $\tau$ • Draw all forces acting on the body. $\tau = F d$ (find *perpendicular* distance *or* force) • Length & direction of arrow $\Rightarrow$ Magnitude & direction of force Torque of a couple is product one of the forces and the perpendicular distance . Arrow starts from correct point/surface of contact between the lines of action of the forces • Concurrent point: three non-parallel forces acting on body in equilibrium pivot Torque $\tau = F x d$ d hinge force pivot pivot ↓mq F sin 0 d sin 0 hinge Torque $\tau = (F \sin \theta) \mathbf{x} d$ Torque $\tau = F \mathbf{x} (\mathbf{d} \sin \theta)$ weight Spring/Elastic force (for extension and compression) Conditions for (static) equilibrium 1) Resultant force in any direction is zero (translational equilibrium, $\sum F = 0$ ) force energy stored 2) Resultant torque about any point is zero (rotational equilibrium, $\Sigma \tau = 0$ ) Hooke's law: F = kx = work done F = area under forceextension graph Problem solving $=\frac{1}{2}Fx$ or $\frac{1}{2}kx^{2}$ Draw FBD • Use vector diagram (closed vector triangle) to represent forces in equilibrium or resolve forces (horiz & vert or perpendicular & along slope) extension x Take moments about appropriate point (e.g. where unknown force acts) • Apply $F_{net} = 0 \& \tau_{net} = 0$ • Pressure due to fluid · Calculate from vector diagram or from resolved components $p = \rho g h$ , $p_{total} = p_{atm} + \rho g h$ Drag / Viscous force H2 only: Upthrust (buoyant force) Force resisting a body moving relative to a fluid (e.g. air resistance) ٠ $U = m_f g$ (wt of fluid displaced) = $\rho_f V_f g$ Always oppose motion • Magnitude depends on speed of the body, density of the fluid, cross-• Principle of flotation sectional area, the shape of the body Object floating in equilibrium: wt of object = upthrust